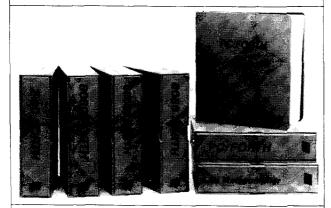
# TOTALCONTROL with LMI FORTH™



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Conveniently, both the base of the mask and its binary representation are displayed. (Remember, the sixteen bits are numbered zero through fifteen.)

The word SLA in MASK is my system's ML shift-left arithmetic word (n1 cnt -- n2). Replace it with your appropriate instruction. The 1 OR in MASK takes care of the zero bit position, as in O BIT-MASK.

Forth Dimensions and its contributors often supply me with either some finishing touches or an idea to expand on. Thanks!

Sincerely,

Gene Thomas Little Rock, Arkansas

#### **Student Roots**

Dear Editor,

During this Summer Quarter of 1986, I have been providing the coursework for a student taking "Forth Programming" at Auburn University at Montgomery. As one of his assignments, this student (Hunter Moseley) was required to write a square root in Forth (F83) based upon a Newton's method-type algorithm. However, Hunter went beyond my thought and wrote code that put mine to shame. My code is shown in Figure One.

The D\*/ used does the same thing as \*/ but with double-precision numbers. In other words, (d1 d2 d3 -- d4). Also, the 2NIP is a double-precision NIP. I hated to use the double-precision words, but for the accuracy needed, they were necessary.

Hunter's code was simply that shown in Figure Two.

In a time test on a Zenith-151 with 10,000 iterations, dropping the result each time, Hunter's code guaranteed 119 seconds with any input from zero to 32,766. Mine, however, with an equivalent range of inputs, does the square root of one in seventy-five seconds, the square root of two in 280 seconds, and gets even worse after that.

As can be seen, the two approaches are based on the same idea, but Hunter's does no bound checking. His

```
Davies' Square Roots
: SORT
         ( d1 d2 -- d3 )
     RECURSIVE
        20VER 20VER 20VER 10000 0 2ROT D*/
                                                  2SWAP
               10000 0 2SWAP D#/
                                    20VER D-
        20VER
                                                DABS
                       2NIP 2NIP
        5 0 DC
                 TE
                                   EXIT
                 FLSE
                       D+
                           D2/
                 THEN
     SQRT ;
: SQR
        (n1 -- n2)
     10000 *D 10000 0 SQRT 10000 UM/MOD
                        Figure One
        ( n1 -- n2 )
                                   LOOP
        10 0 DO
                  2DUP
                                         NIP :
                        Figure Two
CODE SOR
            (n1 -- n2)
  DX POP
          SI PUSH DX SI MOV
                               1 # BX MOV
   10 DO
        DX DX XOR
                    ST AX MOV
                               BY DIV
                                       AX BX ADD
                                                  BY SAR
     LOOP
  SI POP BX PUSH NEXT
                          END-CODE
                        Figure Three
: DSQR
         ( d1 -- d2 )
         19 0
              DO 20VER
                          20VER D/
                                          D2/
               LOOP
                     2SWAP
                           2DROP I
                        Figure Four
```

simpler application of the algorithm is much slicker — beauty in Forth.

Additionally, as an experiment with F83's assembler, I translated Hunter's algorithm into assembly. The code is listed in Figure Three. A time test on the Zenith-151 with 10,000 iterations, dropping the result each time, guaranteed five seconds! Yes, that's right—2,000 iterations per second! Perhaps this amazes no one else, but I was somewhat shocked.

For those interested, Hunter also has the signed, double-precision version of the square root. The code is in Figure Four. The **D**/ is a double-precision divide. If anyone is interested in the code for these operators and their double-precision primitives, I will gladly share them.

In any case, I present these attempts as examples of how traditional mathematical thought sometimes must give way to the more efficient patterns used by our friends — the computers — and Forth.

Sincerely yours,

R.L. Davies Montgomery, Alabama

#### Second Take: Multiple LEAVEs by Relay

Dear Mr. Ouverson:

Please discard my previous letter to you (Forth Dimensions VIII/3), as it was completely erroneous. My intended verification test wound up with confusion between the fig-FORTH words in my system and the new words, due to my carelessness! Here is the new manuscript:

John Hayes' "Another Forth-83 LEAVE" (VII/1) stimulated me to try to find an even simpler way to handle multiple Forth-83 LEAVEs. I decided that a straight-forward approach involved having each LEAVE simply branch to the next LEAVE, with the last one removing the index values from the return stack and branching to the word following LOOP.

I "grafted" such a construction onto fig-FORTH with the definitions below; words with a • prefix are used to identify changes from fig-FORTH. Unstarred words such as (DO) and (LOOP) are unchanged. Whenever a \*LEAVE is compiled, the variable PLACE is used to hold the location of its branch value for later adjustment. This variable also serves as a flag to show that there is a leave branch to be resolved. \*LOOP calls a >RESOLVE to install the jump value of the preceding (if any) \*LEAVE; also, if there is a \*LEAVE in the word, a special **OUTLEAVE** is compiled immediately following the (LOOP) closure. OUTLEAVE removes the (two) loop parameters from the return stack and proceeds to the next word, i.e., the word that was entered after \*LOOP. If the \*LEAVE command is not invoked at run time. the normal loop operation removes these parameters from the return stack, so **OUTLEAVE** must be skipped over. \*LOOP compiles this bypass with a BRANCH 4 which is encountered in normal loop completion. Alternatively, (LOOP) could be modified to use **OUTLEAVE** in normal loop completion.

Note that **OUTLEAVE** can be a primitive which removes two words from the return stack by using **PLA** four times. If **OUTLEAVE** is defined as a